

Warm Up

$$f(x) = -2x - 9$$

$$b(x) = x^2 - 3x + 4$$

Evaluate:

$$f(b(-6))$$

$$\underline{b(4)}$$

$$\underline{f(-3)}$$

$$b(f(-6))$$

$$b(4) = 4^2 - 3(4) + 4$$

$$= 8$$

$$f(-3) = -2(-3) - 9$$

$$= -3$$

$$b(f(-6)) = (-2x - 9)^2 - 3(2x - 9) + 4$$

$$((-2(-6) - 9)^2 - 3(2(-6) - 9) + 4)$$

$$(3)^2$$

Rate of Change

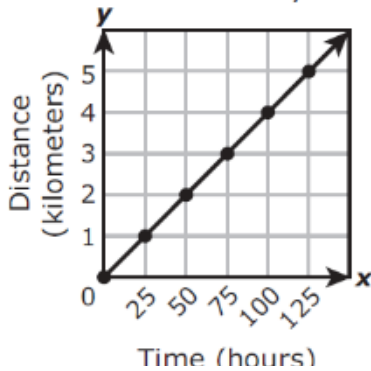
Rate of Change - ratio that compares the amount of change in the dependent variable, to the amount of change in the independent variable.

How to find rate of change:

$$\frac{\text{Change in dependent variable}}{\text{Change in independent variable}} = \frac{\Delta\text{Dependent}}{\Delta\text{Independent}} = \frac{\Delta y}{\Delta x}$$

Δ (delta) is used by mathematicians to mean "change in"

Distance Traveled by a Dolphin



Independent Variable:

x

Dependent Variable:

y

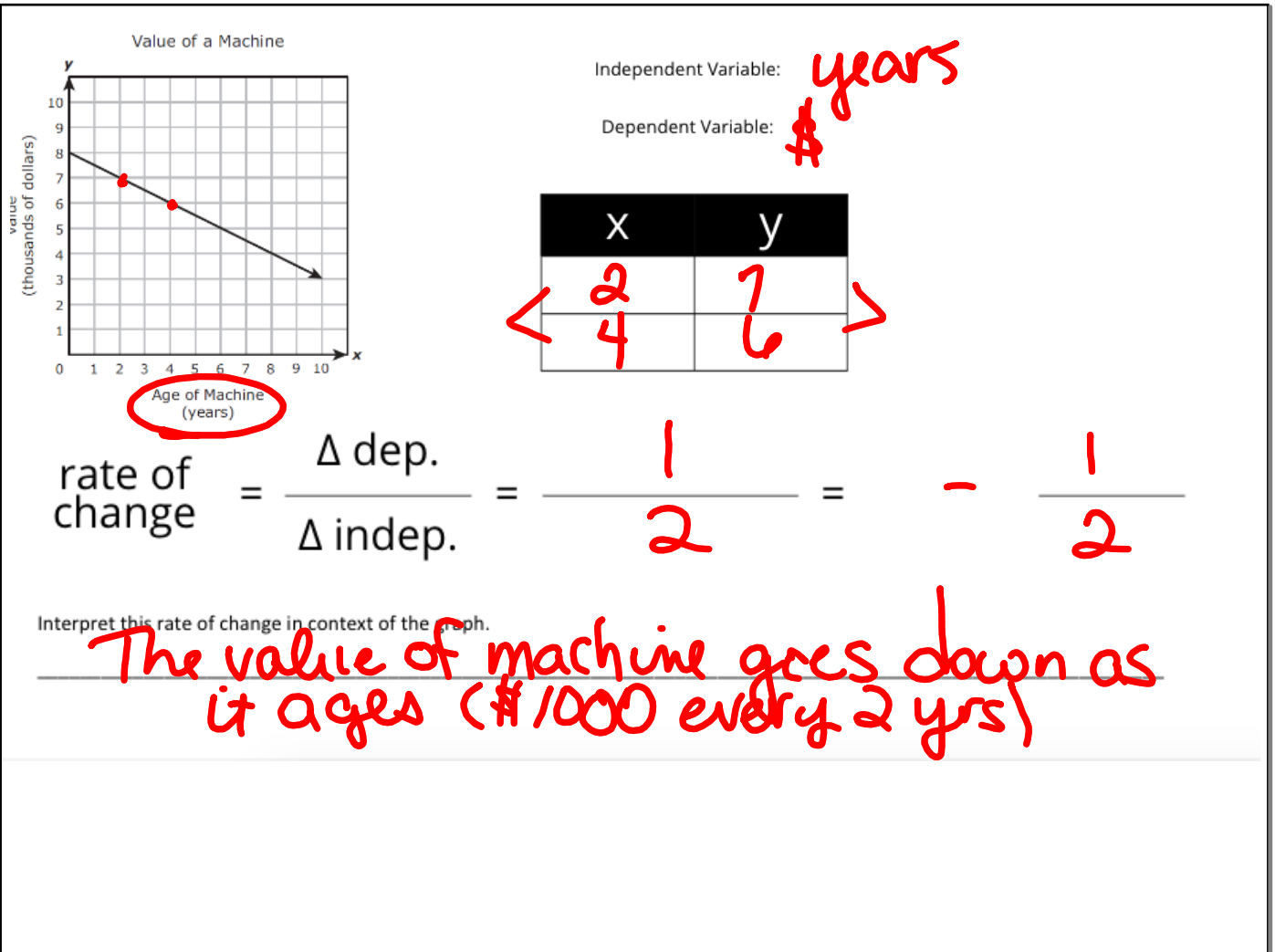
x	y
25	1
50	2

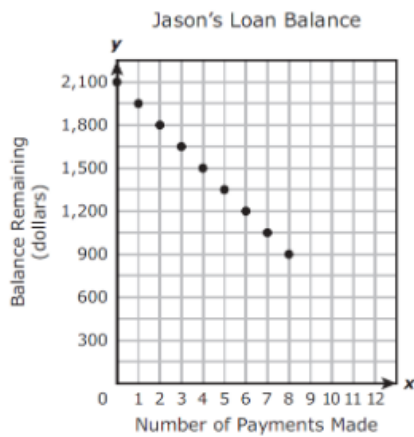
$25 < \begin{matrix} 25 & 1 \\ 50 & 2 \end{matrix} > 1$

$$\text{rate of change} = \frac{\Delta \text{ dep.}}{\Delta \text{ indep.}} = \frac{1}{25} = \underline{\hspace{2cm}}$$

Interpret this rate of change in context of the graph.

Dolphin travels 1 km every 25 hrs





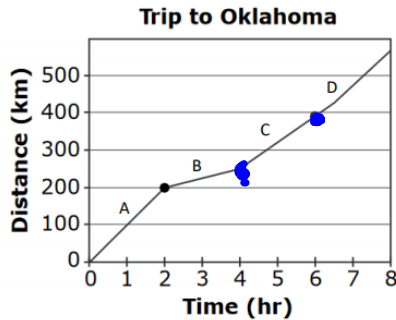
Independent Variable:

Dependent Variable:

x	y

rate of change = $\frac{\Delta \text{ dep.}}{\Delta \text{ indep.}}$ = _____ = _____

Interpret this rate of change in context of the graph.



During which segment of the trip does it appear that the car is traveling the fastest? How can you tell? **A - because 200 km in 2 hrs where others take longer**

During which segment of the trip does it appear that the car is traveling the slowest? How can you tell? **B - ROC is close horizontal**

Calculate the Rate of Change of Each Separate Segment

Independent Variable:

Time

Domain:

0, 1, 2, 3, 4, 5, 6, 7, 8

Dependent Variable:

Distance

Range:

0, 100, 200, 300, 400, 500

$$\frac{160}{2}$$

x	y
0	0
2	200
4	250
6	390
8	550

Segment A Rate of Change 100 km/hr	Segment B Rate of Change 25 km/hr
Segment C Rate of Change 70 km/hr 75 km/hr	Segment D Rate of Change 80 km/hr

$$\frac{50}{2}$$

$$\frac{250}{390}$$

$$\frac{140}{2}$$

